Optical Cerenkov Line-like Radiation in Active Galatic Nuclei

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1. What is Cerenkov line-like radiation?

2. Does CLLR create Hydrogrn lines in AGNs?

- 1. An line redshift test
- 2. An Balmer decrement test
- 3. What does the CLLR need?

3. Summary

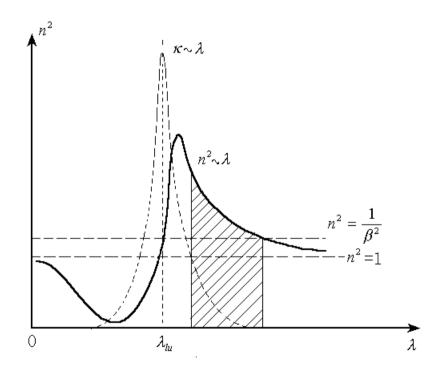
When a charged particle move in a medium, with a speed greater then speed of light in the medium

$$v > \frac{c}{n}$$

Cerenkov radiation is emitted, with the power

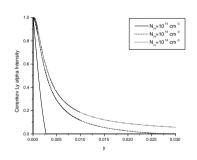
$$P_{\nu}d\nu = (4\pi^2 e^2 \beta \nu/c)(1 - \frac{1}{n_{\nu}^2 \beta^2})d\nu$$

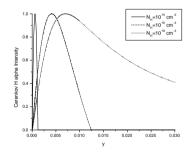
Cerenkov spectrum $P_{\nu} \sim \nu \iff n \sim \lambda$ Dispersion curve

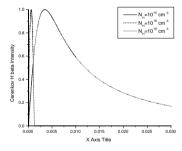


Dispersion curve of dense gas (near the wavelength of atom(ion) line)

—— Cerenkov radiation of a hydrogen gas







$$\Delta Z_{H\alpha}^c = 2.60 \times 10^{-4} \sqrt{\frac{N_2}{N_3}}$$

$$\Delta Z_{H\beta}^c = 1.34 \times 10^{-4} \sqrt{\frac{N_2}{N_3}}$$

$$\Delta Z_{Ly\alpha}^c = 0$$

—— Something special about Cerenkov line-like radiation

- Concentrate nearby λ_{lu}
 - ⇒ Cerenkov line-like radiation, or Cerenkov line
- Still much wider than the normal line created by energy level transition.
- Slightly Redshifted Peak, not exactly at $\lambda = \lambda_{lu}$. "Cerenkov Redshift"

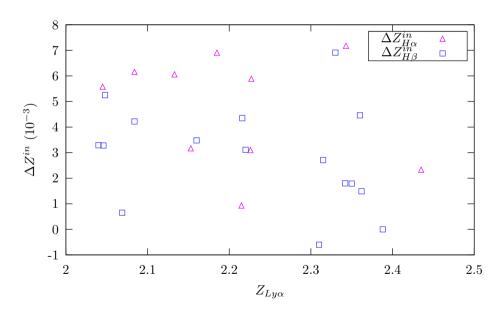
Now we have TWO radiation mechanisms to create atom lines.

- Energy Level Transition
 - ——Had been thought to the only way

• CLLR

——An alternative?

— A Line Redshift Test



 $H\alpha$ and $H\beta$ redshifts, for a sample of high redshift QSOs.

— A Line Redshift Test

Theory:

$$\Delta Z_{H\alpha}^c = 2.60 \times 10^{-4} \sqrt{\frac{N_2}{N_3}}, \quad \Delta Z_{H\beta}^c = 1.34 \times 10^{-4} \sqrt{\frac{N_2}{N_3}}$$

Observation:

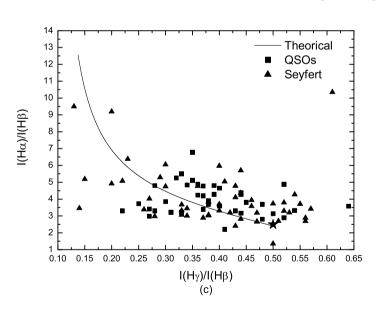
$$\overline{\Delta Z_{H\alpha}^{in}} = 4.73 \times 10^{-3}, \quad \overline{\Delta Z_{H\beta}^{in}} = 2.89 \times 10^{-3}$$

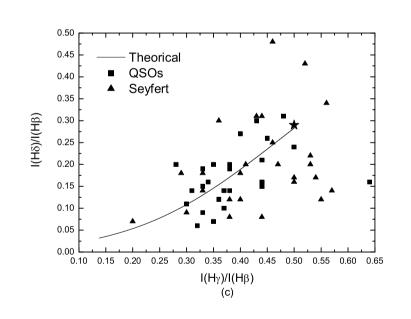
— A Balmer Decrement Test

$$\frac{I^{\text{C}}(\text{H}\alpha)}{I^{\text{C}}(\text{H}\beta)} = 2.183 \frac{\ln\left(1 + 28.3X_{\beta}^{2}\right) - 2\left[1 - 0.188 \frac{\arctan(5.32X_{\beta})}{X_{\beta}}\right]}{\ln\left(1 + 1.18X_{\beta}^{2}\right) - 2\left[1 - 0.922 \frac{\arctan(1.09X_{\beta})}{X_{\beta}}\right]}$$

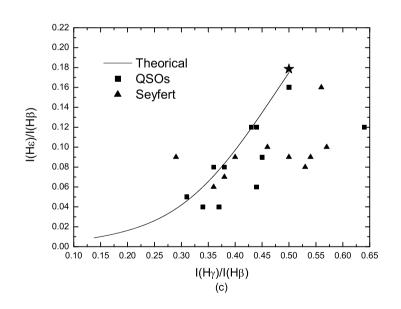
$$\frac{I^{\text{C}}(\text{H}\gamma)}{I^{\text{C}}(\text{H}\beta)} = 0.526 \frac{\ln\left(1 + 0.250X_{\beta}^{2}\right) - 2\left[1 - 2.00\frac{\arctan(0.500X_{\beta})}{X_{\beta}}\right]}{\ln\left(1 + 1.18X_{\beta}^{2}\right) - 2\left[1 - 0.922\frac{\arctan(1.09X_{\beta})}{X_{\beta}}\right]}$$

— A Balmer Decrement Test





A Balmer Decrement Test



—— What does the CLLR need?

Tentative parameters sets $(\gamma_c, N_2, N_3, N_e)$, for $H\beta$ line in NGC5548.

γ_c	$N_3({\rm cm}^{-3})$	$N_2({\rm cm}^{-3})$	$N_{H^0}({ m cm}^{-3})$	N_e (cm ⁻³)
10 ²	2.9×10^{15}	1.4×10^{18}	5.9×10^{19}	3.7×10^{8}
10 ³	2.9×10^{13}	1.4×10^{16}	5.9×10^{17}	3.7×10^{8}
10 ⁴	2.9×10^{11}	1.4×10^{14}	5.9×10^{15}	3.7×10^{8}
10 ⁵	2.9×10^{11}	1.4×10^{14}	5.9×10^{13}	3.7×10^{8}
10 ⁶	2.9×10^{11}	1.4×10^{14}	5.9×10^{11}	3.7×10^{8}

Summary

• Some Observations Provide Evidence of CLLR

• Futher Observation Needed

• BLR physics

Thank You!